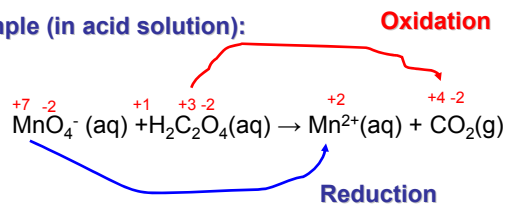


This week's schedule

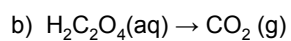
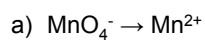
Group 1: Lab Synthesis

Group 2: Tutorial Stoichiometry 1 & 2

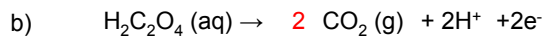
Redox Example (in acid solution):



∴ Half reactions are:



Charge_{LHS} = 8 - 1 = +7 Charge_{RHS} = +2 ∴ Add 5e⁻ to reactant side
(Reduction as expected)



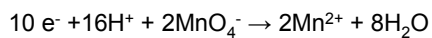
Charge_{LHS} = 0

Charge_{RHS} = +2

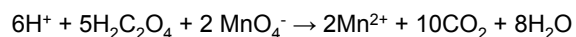
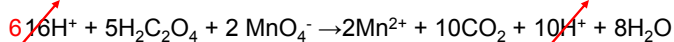
• Products gain 2 e⁻;

• • **(Oxidation as expected)**

c) Multiply reduction reaction by x2 and the oxidation reaction by x5 so that both reactions involve 10 e⁻



+



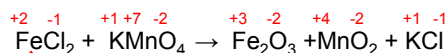
Mass check: 2Mn, 28O, 10C and 16H on both sides

Charge_{LHS} = +6 - 2 = +4

Charge_{RHS} = +4

Example (in basic solution):

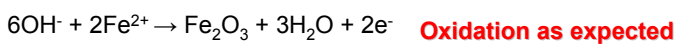
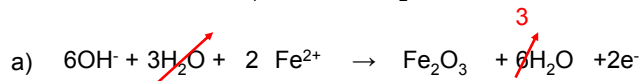
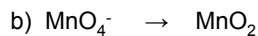
Reduction

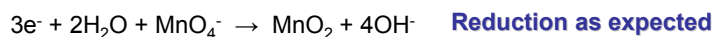
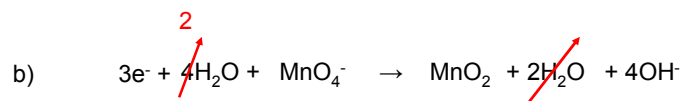


Oxidation

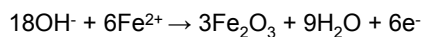
Drop the counter ions whose oxidation state doesn't change: K⁺, Cl⁻.

Write the two half reactions:

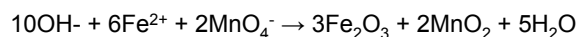
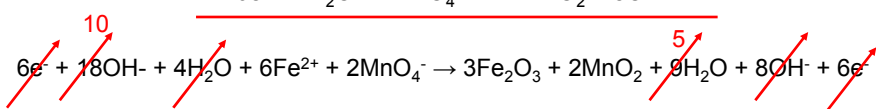
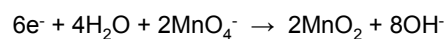




Multiply a) by x3 and b) by x2 to balance the number of electrons



+



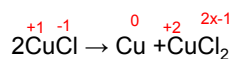
Mass balance: ✓

Charge balance: ✓

Disproportionation Reactions

For elements with 3 or more oxidation states, an element in an intermediate oxidation state can be both oxidized and reduced (a redox reaction known as disproportionation)

Example:



Here oxidation numbers help establish if redox reaction is also a disproportionation reaction

Such reactions can sometimes be difficult to balance

Example: Balance $\text{P}_4 \rightarrow \text{PH}_3 + \text{H}_2\text{PO}_2^-$ in basic solution

Hint: Rewrite the equation with the disproportionating species written as reacting with itself

See next lecture for how to balance this.

Electronic Structure and Periodic Properties

C020

Electron Orbitals


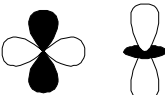
- The properties of elements result from the **electronic structure** of the atom
- Each electron in an atom is in an **orbital** of fixed energy; that is the orbitals are said to be **quantized**
- Each electron is described by **3 quantum numbers**

i) Principle quantum number n :

$n = 1, 2, 3, \dots$ This quantum number determines the energy of the orbital

ii) Angular momentum quantum number, ℓ :

$\ell = 0, 1, 2, \dots, n-1$ This quantum number determines the shape of various orbitals having the energy of quantum number n

<u>ℓ</u>	<u>orbital name</u>	<u>shape</u>
0	s	spherical
1	p	dumbbell 
2	d	complex 
3	f	complex